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Howard, Oliver O. - Papers as Cadet at West Point, N.Y.

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222 and 223 Left.

The particles of ether in undulating theory are supposed to move in ellipses; when by any means one of the components giving rise to this elliptical motion is withdrawn then the particles will move in a straight line and be plane polarized, the two components giving rise to this ^{Elliptical} motion being at right angs. to each other, the Component motions would take place in planes at right ang. to each other. This explains why in double refracting crystals the two positions of light are oppositely polarized and why with the reflector, the reflected and transmitted light (portions of) are oppositely polarized. In case of circular polarization the particles move in circles

226 and 227 Right.

The agency of 1st surface is shown by the rings disappearing when it is not brought into play in order to reflect a portion of the light.

230 and 231 Left.

In case of dark rings the thickness will be 0 2t 4t @ and the corresponding differences of wave = $2t + \frac{\lambda}{2}$ will be $2.0 \times t + \frac{\lambda}{2} = \frac{\lambda}{2}$, $2 \times 2t + \frac{\lambda}{2} = 2 + \frac{\lambda}{2} = \frac{5\lambda}{2}$, $2 \times 4t + \frac{\lambda}{2} = 2\lambda + \frac{\lambda}{2} = \frac{5}{2} \lambda @ @$

In case of dark rings the thickness will be t. 3t. 5t @, and the corresponding differences of wave = $2t + \frac{\lambda}{2}$ will be $2. \frac{1}{4} \lambda + \frac{\lambda}{2} = \lambda$, $2. \frac{3}{4} \lambda + \frac{\lambda}{2} = 2\lambda$, $2. \frac{5}{4} \lambda + \frac{\lambda}{2} = 3\lambda$

finished Jan 13th 1852,

John of
W. Hayward
det. West Point
H. H. H. H.

(1st Ex.)

The height of Fort 'Pike' above the plain at the
play-~~stage~~ of

Upper Station	Lower Station
Alt. Ther $T' = 58.5$	$T = 57.861$
Det. Ther $t' = 59.0$	$t_1 = 54.863$
$b = 29.64$ ⁱⁿ	$b_n = 29.99830$

$$b(1 + \frac{T - T'}{10,000}) = 30(1 - \frac{4}{10,000}) = 29.988$$

$$b_n = \frac{29.99 + 29.988}{2} = 29.989$$

$$t_1 = \frac{54.863}{2} = 58.5$$

$$t_1 + t' = 58.5 + 59 = 117.5$$

$$T - T' = 57.861 - 58.5 = -1.5$$

$$\text{Log. } b_n, 29.989 = 1.476963$$

$$C \text{ for } (-1.5) = \frac{9999934}{1.476897}$$

$$\text{Sub } (\text{log } b) 29.64 = \frac{1.471878}{1.005079} = -1.5$$

$$\text{Log. } 3.700617$$

$$\text{Add A for } 117.5 = 4.805723$$

$$\text{Add B for } 41.4 = 0.000140$$

$$2.506486 = \text{log.}$$

$$\text{Sub } 320.9 \text{ feet}$$

$$320.9$$

Upper Station

Lower Station

$$T - T' = 3.0$$

$$T' = 61.0$$

$$T = 64.0$$

$$t_1 + t' = 127.5$$

$$t' = 61.5$$

$$t_1 = 66.0$$

$$b = 30$$

$$b_n = 30.193$$

$$\text{Log. } 30.193 \text{ in } b_n = 1.479906$$

$$C \text{ for } 3.0 = 0.000130$$

$$1.480036$$

$$\text{Sub } \text{log}(b = 30) = 1.477121$$

$$\text{Log of } 0.002915 = -3.464639$$

$$4.810254$$

$$\text{Add A for } 127.5 = 0.000146$$

$$\text{Add B for } 41.4 = 2.275039 = \text{log of}$$

$$188.36 \text{ feet}$$

Height of plain at Liberty - above
the level of the river

Problem for determining the long. of

Lunar Culminating Stars

Stant Ac. Greenwich. Notes.

	^h	^m	^{sec.}
D's west Limb	13	59	25.76
ξ^2 Librae	14	48	49.29
f'	49 - 23.53		

West Point.	^h	^m	^{sec.}
D's W. Limb	14	12	29
ξ^2 Librae	14	57	18.9
	38	49.3	

(Clock-rate 06th appreciable)
for the short interval
 $f_1 = 38 - 49.3$

$f_1 - f' = 10 - 34.23$
" = 634.23 seconds

West Point moons west

	^h	^m	^{sec.}
Limb 14 ^a	12		30.7
			46.5
	^m	^{sec.}	
12		03	20.5
			37.4
			54.5
			10.5
			<u>2031</u>
			29.

$l = 4 - 55 - 50$ approx. lat
" = 17750 sec
 $12^h = 43200$ sec
 $\frac{l}{12^h} = 4108 +$ sec

May 14 L.	13 ^h	31 ^m	05. ^{sec} 32	28 - 20.44	46.65
" 20 U.	13	59	25.76	29 - 07.09	52.80
" 20 L.	14	28	32.85	29 59.89	
" 20 U.	14	58	32.74		

$\Delta_1 = 29 - 07.09$
" = 1747.09 sec
 $\Delta_2 = \frac{1}{2}(46.65 + 52.80)$
" = 49.72
 $\Delta_3 = (52.80 - 46.65)$
" = 6.15 sec

$a = A \frac{l}{12^h} + B \left(\frac{l}{12^h}\right)^2 + C \left(\frac{l}{12^h}\right)^3$ sec.
 $A = \Delta_1 - \frac{1}{2} \Delta_2 + \frac{1}{12} \Delta_3 = 1722.74$
 $B = \frac{1}{2} \Delta_2 - \frac{1}{4} \Delta_3 = 23.33$
 $C = \frac{1}{6} \Delta_3 = 1.02$

(Observations made May 20.
1853. West Point N.Y.)

To determine the lat of
West Point.

β Leonis

N. Dec - May 11th 1853 - $15^{\circ} 23' 36''$

Reading on Limb - $116^{\circ} 45'$

Micrometer (A) 35.510

" " (B) 33

Zenith Point $142^{\circ} 45' 56.5''$

Barometer - 29.925

Thermometer 56°

29.925
 30
 $- .075$

56
 50
 $+ 6$

$142^{\circ} 45' 56.5''$

Mean - $116 45 33.25$

$90 - [26 - 0' 23.25]$

Alt - $63 - 59 36.75$ apparent
 28.67

$90 - [64^{\circ} - 00 - 57.25]$

$25^{\circ} - 59' - 54.5''$

$15^{\circ} - 23' 36.8''$

$41^{\circ} - 23' - 31.3''$ Lat

γ Musae Majoris

N Dec. $54^{\circ} 30' - 53.9''$

Reading $155^{\circ} 50'$ Limb

$0' - .025$ (A)

$.025$ " (B)

$155^{\circ} - 53 - 2.5''$

$142^{\circ} - 45' - 56.5''$

$13^{\circ} - 7' - 6''$

$76^{\circ} - 52' - 54''$

14.53

$76^{\circ} - 53' - 4.5''$

$13^{\circ} - 6' - 57.47$

$54 30 53.90$

$41^{\circ} - 24' - 7''$

28.4
 277
 28.67

$.95$
 $- .075$
 475
 665
 $- .07125$
 $.057$
 6
 342
 $.07125$
 $.27075$

$.48$ $.029$
 $.075$
 $- .036$ $.174$ 14.4
 $.036$ $.138$ 136
 $.138$ 14.53

Respectfully Submitted

To

O. Howard

Mr J. Reynolds

Cadet U.S.M.A.

Lieut Artillery